Vapor Flow Resistance of Dry Soil Layer to Soil Water Evaporation in Arid Environment: An Overview

Xixi Wang
Old Dominion University, x4wang@odu.edu
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Department of Civil and Environmental Engineering, Old Dominion University, Norfolk, VA 23529-0241, USA; E-Mail: xxqqwang@gmail.com; Tel.: +1-757-683-4882; Fax: +1-757-683-5354

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Abstract: Evaporation from bare sandy soils is the core component of the hydrologic cycle in arid environments, where vertical water movement dominates. Although extensive measurement and modeling studies have been conducted and reported in existing literature, the physics of dry soil and its function in evaporation is still a challenging topic with significant remaining issues. Thus, an overview of the previous findings will be very beneficial for identifying further research needs that aim to advance our understanding of the vapor flow resistance (VFR) effect on soil water evaporation as influenced by characteristics of the dry soil layer (DSL) and evaporation zone (EZ). In this regard, six measurement and four modeling studies were overviewed. The results of these overviewed studies, along with the others, affirm the conceptual dynamics of DSL and EZ during drying or wetting processes (but not both) within dry sandy soils. The VFR effect tends to linearly increase with DSL thickness (δ) when δ < 5 cm and is likely to increase as a logarithmic function of δ when δ ≥ 5 cm. The vaporization-condensation-movement (VCM) dynamics in a DSL depend on soil textures: sandy soils can form a thick (10 to 20 cm) DSL while sandy clay soils may or may not have a clear DSL; regardless, a DSL can function as a transient EZ, a vapor condensation zone, and/or a vapor transport medium. Based on the overview, further studies will need to generate long-term continuous field data, develop hydraulic functions for very dry soils, and establish an approach to quantify the dynamics and VFR effects of DSLs during wetting-drying cycles as well as take into account such effects when using conventional (e.g., Penman-Monteith) evaporation models.
1. Background

Evaporation from bare sandy soils is the core component of the hydrologic cycle (dominated by vertical water movement) in arid/semiarid regions, where any disturbance to the fragile hydrology is likely to trigger land desertification and deteriorate the very sparse vegetation ecosystem [1–7]. For instance, the 51,700 km² Horqin Sandy Land (HSL; 118°35′ to 123°30′ E, 42°41′ to 45°15′ N), one of the most typical sandy lands in the world and historically part of the largest and most characteristic Eurasian grassland [8], has undergone severe desertification in recent decades [9,10]: deserted land has reached 57.8% of the HSL’s total area [11]. This is primarily because inappropriate reclamation for agriculture (e.g., chisel plough tillage in fall) and overgrazing [12] has adversely altered the natural hydrologic condition [7]. As a result, this region is losing biome productivity [13] as well as incurring environmental problems such as more frequent dust storms of greater magnitude and frequency [14–17]. Similar desertification-related issues exist all over the world [18,19], including Africa and the southwestern USA [20]. Addressing these bioenvironmental problems requires that physical processes of soil evaporation (e.g., vapor and moisture advection/diffusion through variably saturated soils) are accurately described [21–23]. Such regions are dominated by bare sandy soils that most of the time are covered by a thin (5 to 30 cm) top dry soil layer (DSL) [7,24,25], within which soil moisture is dominantly in vapor phase and soil water potentials are usually below −1.5 × 10⁴ cm [26]. Such a DSL can have an important vapor flow resistance (VFR) effect on the soil water evaporation rate and dynamic processes under natural conditions [23,27]. In other words, the DSL can retard underlying soils from further drying. Hereinafter, the VFR effect is measured as the difference between the soil water evaporation rate with a DSL and without a DSL. A good understanding of the VFR effect is obviously needed but currently lacking [28]. The relative VFR effect, RE_vfr in percent and being greater for a larger VFR effect, can be computed as:

\[ \text{RE}_{vfr} = \frac{E_{\text{noDSL}} - E_{\text{DSL}}}{E_{\text{noDSL}}} \times 100\% \]  

where \( E_{\text{noDSL}} \) is the soil evaporation rate with no DSL, and \( E_{\text{noDSL}} \) is the soil evaporation rate with DSL.

In practice, the conventional evaporation models [29–34] that are used in watershed hydrology (e.g., Soil and Water Assessment Tool or SWAT) [35,36] and land-atmosphere interaction (e.g., Community Land Model or CLM) [37,38] models estimate soil water evaporation without explicitly considering the VFR effect [39,40] partially due to our insufficient knowledge of physical dynamics (e.g., thickness variation and the vaporization-condensation cycle) within DSL. Alternatively, those models simply use a lumped parameter, namely surface resistance (\( r_s^s \)), to represent the VFR effect of DSL, with \( r_s^s \) usually estimated as a function of soil surface moisture only [40–50]. In reality, for a given soil profile, a DSL can be formed on the surface during soil drying and its thickness will gradually increase with elapsed time, while a thin evaporation zone (EZ) around the bottom boundary of the DSL will be moved down into a greater depth [51–55]. The soil water within the EZ is predominantly in liquid phase, whereas the
soil water within the DSL can either be in vapor or liquid phase, depending on the cyclic change in solar radiation and soil temperature [56]. For any given day, the EZ is active throughout the day and moves vertically with the development/reduction of the DSL at both diurnal and inter-diurnal time scales, but the DSL can act as an EZ between late morning and early afternoon and may function as a condensation zone at other times when solar radiation and soil temperature are low. Figure 1 illustrates possible distributions of DSL and EZ within a vertical soil profile as a result of repeated drying-wetting cycles. A model that cannot appropriately consider these dynamic processes is likely to have little value in addressing the aforementioned bioenvironmental problems in arid/semiarid regions. Also, this similar issue is likely to bias the prediction of land-atmosphere interactions because soil water evaporation dynamics are erroneously modeled [38,57].

Figure 1. Possible distributions of dry soil layer (DSL) and evaporation zone (EZ) within a soil profile for situations of: (a) continuously drying; (b) drying and wetting; (c) drying, wetting, and drying; (d) continuously drying with condensation/re-evaporation; (e) drying and wetting with condensation/re-evaporation and (f) drying, wetting and drying with condensation/re-evaporation.

Philip and de Vries [21] developed a theory that can be modeled with a set of partial differential equations governing liquid-heat-vapor dynamic processes in porous materials (including soils). Hereinafter, this model is designated as the PdV for description purposes. Following the PdV model, [51] suggested that the desiccation of a soil profile can go through three phases (i.e., Phase I to III). In Phase I, the soil is sufficiently moist and soil water evaporation (E) is indistinguishable from that from a saturated surface (Eₘ), whereas in Phase III, surface layers are very dry and E is sensitive to and may be negatively correlated with heat flux into soil. In Phase II, because the soil has intermediate moisture content, E is independent of Eₘ and depends on soil moisture distribution only. During Phase I, liquid water is supplied from the lower layers and vaporized at the soil surface at rate Eₘ, and then the vapor is transferred into the ambient atmosphere. On the other hand, during Phase II and III, vaporization takes place not at the surface but within the soil mass (e.g., the EZs), and the vapor diffuses upward through a top DSL to the surface and then into the atmosphere. The soil evaporation for the situations illustrated in Figure 1b,e can be in Phase I or II, while the soil evaporation for the other situations illustrated in Figure 1 is likely to be in Phase III. For Phase I and II, E tends to be maximal when total heat flux into the soil is greatest (e.g., seasonally in summer and daily at noon), whereas for Phase III, in contrast, E tends to be maximal...
when total heat flux out of the soil is greatest (e.g., seasonally in winter and daily at midnight). However, as pointed out by [26] and in my own research, due to wrong modeling premises (e.g., the traditional hydraulic functions are assumed to still be suitable for water potentials of \(\leq 1.5 \times 10^4 \text{ cm}\)) or insufficient and inclusive experimental (mostly laboratory soil-column) data, previous studies [22,23,53–71] primarily examined and reported dynamics of Phase I and II evaporation. For this reason, the features presented by those researchers are unlikely to be found at any sites under naturally dry conditions, where most of the time a top DSL lies over underlying moist soils and Phase III dominates the soil water evaporation process.

The PdV is becoming applicable in practice because of the technologic advancement of heat pulse sensors in the past decade [72–75]. However, to date, few applications (including [76–79]) in very dry regions, where Phase III dominates the hydrology cycle most of the time, have considered the insufficiency of traditional hydraulic function resulting from prevalent soil air or film flow [80]. Among the typical studies of Phase I and II, [63] parameterized a PdV model using measured data on heat flux, soil moisture, and pore air humidity of a repacked Toyoura fine sand column, and then used the model to numerically examine the dynamics of DSL. The numerical experiment revealed that soil water evaporation mainly took place at the bottom boundary of and transiently occurred within the DSL. This finding was further verified by [53] from observations at a 60 m × 50 m fallow site (35°58’ N, 140°27’ E) and at a 500 m × 500 m sand dune site (35°32’ N, 134°14’ E), where the soils are dominated by sand particles (0.02 to 2.0 mm in diameter), and by [69] from observations at a 125 m × 125 m bare field (41°59’ N, 93°41’ E), where the soil has a clay loam texture. On the other hand, [68] parameterized and used three PdV models to evaluate influences of depth- versus space-dependent values for soil thermal conductivity (\(\lambda\)) on simulated subsurface evaporations from repacked 15-cm-long sand, silt, and silty clay soil columns. The columns were fully saturated at the beginning of the laboratory experiments and started to become dry either under constant or diurnal atmospheric conditions. Those authors concluded that: (1) the “undetectable zone” (i.e., the layer from soil surface to first sensor needle) can cause underestimation of soil evaporation; (2) a very small (e.g., \(\leq 1.0 \text{ mm}\)) grid spacing near the soil surface is needed to capture vaporization/condensation dynamics within the DSL; 3) depth-dependent \(\lambda\) will yield more accurate estimates of subsurface evaporation; and 4) the soil-water retention functions for the sand and silt columns, whose water content tends to approach their residual values at a relatively high pressure head, are better described by the Fayer and Simmon model [81], whereas the soil-water retention function for the silty clay column is better described by the traditional van Genuchten model [82]. Moreover, Novak [22] parameterized and used a PdV model to reproduce the observed EZ dynamics at a bare silt-loam site (49°15’ N, 121°46’ W) for a 10-day rain-free period. This period was preceded by rainy days with a cumulative rainfall of 14.8 mm, yielding wet soil conditions at the beginning of the study period. The traditional Campbell (1974) model was used to describe the soil-water retention function of the site. The unique aspect of this simulation was that the grid resolution is more than adequate to correctly determine the reported location, magnitude, and shape of the subsurface evaporation zone that develops during daytime for many of the days as well as the effects of the evaporation zone on surface energy, soil temperature, and soil moisture.

The objectives of this overview were to: (1) summarize existing findings, and (2) highlight further research needs regarding Phase III soil water evaporation from sandy soils with a top DSL (soil moisture \(\theta < 1\%\) or water potential \(\psi < -1.5 \times 10^4 \text{ cm}\)) most of the time. In other words, this overview focused on
field-measured as well as modeled dynamics of DSLs and EZs and their effects on the soil water vaporization-condensation-movement (VCM) process in very dry environments.

2. Measured VFR Effect

As stated above, although a number of observational studies of soil water evaporation have been presented in existing literature, few of them were conducted at sites with a perennial top DSL and were specifically designed to quantify the VFR effect on the VCM process. Among the few studies, this overview selected six representatives (Table 1), including [26], [28], [36], [53], [83] and [84], to highlight the to-date groundbreaking findings from field measurements all over the world. Herein, these six representative studies were overviewed not in their chronological order, but based on the scientific interrelation among the findings they present. Also, this overview extrapolated the data and findings from these studies to further scrutinize the interrelation.

Table 1. List of the representative studies selected for the overview.

<table>
<thead>
<tr>
<th>Type</th>
<th>Authorship</th>
<th>Journal</th>
<th>Year</th>
<th>Domain</th>
<th>Soil Texture</th>
<th>Process</th>
<th>Unique Findings*</th>
</tr>
</thead>
</table>
| Measuring | Goss and Madliger [26] | Water Resources Research | 2007 | field  | Sandy clay   | drying  | No clear DSL was formed; traditional soil-water retention functions are not applicable for very dry soils. VFR effect increases with thickness (δ) of DSL; when δ > 5 cm, evaporation is independent of climate and soil moisture in EZ. DSLs (θ = 0.42 to 0.54%) of δ = 10 to 18 cm were formed; EZs were at bottom boundaries of the DSLs.
| Measuring | Liu et al. [28]  | Arid Land Geography      | 2006 | field  | Dune sand    | drying  | VFR effect increases with δ and should be considered in \( r^* \). A very thin (< 3 mm) DSL had a VFR effect of 25%. DSLs (θ < 1%) of δ = 2 to 9 cm were formed; VFR effect increases with δ and should be considered in \( r^* \). A very thin (< 3 mm) DSL had a VFR effect of 25%. |
Table 1. Cont.

<table>
<thead>
<tr>
<th>Type</th>
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<th>Process</th>
<th>Unique Findings *</th>
</tr>
</thead>
<tbody>
<tr>
<td>Modeling</td>
<td>Sakai et al. [68]</td>
<td>Water Resources Research</td>
<td>2011</td>
<td>columns</td>
<td>sand, silt, silty clay</td>
<td>drying</td>
<td>VFR effect is larger for coarse- than fine-textured soil; DSLs can exist for all soils. DSL and EZ varied diurnally; both condensation and evaporation occurred within DSL. Traditional water retention functions are invalid for dry soils; both condensation and evaporation occurred within DSL. Very thin EZs were formed beneath DSLs of δ = 2.0 cm; both condensation and evaporation occurred within DSL.</td>
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<td></td>
<td>Novak [22]</td>
<td>Agricultural and Forest Meteorology</td>
<td>2010</td>
<td>field</td>
<td>loam</td>
<td>drying</td>
<td></td>
</tr>
<tr>
<td>Modeling</td>
<td>Sakai et al. [67]</td>
<td>Soil Science Society of America Journal</td>
<td>2009</td>
<td>column</td>
<td>Dune sand</td>
<td>wetting</td>
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<tr>
<td></td>
<td>Yamanaka et al. [63]</td>
<td>Hydrological Processes</td>
<td>1998</td>
<td>columns</td>
<td>sand, loam, clay</td>
<td>drying</td>
<td></td>
</tr>
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Notes: * DSL: dry soil layer; EZ: evaporation zone; VFR: vapor flow resistance; \( \theta \): volumetric soil water content (or soil moisture); and \( r_s^{+} \): soil surface resistance.

At a site in the HSL, [28] used PVC microlysimeters (inside diameter 5.7 cm and depths 35 to 60 cm) to measure evaporation from bare sandy soils covered by DSLs with six different thicknesses of 5, 10, 15, 20, 25, and 30 cm. At the same time, a contrasting PVC microlysimeter (inside diameter 5.7 cm and depth 20 cm) was filled with moist soils to measure VFR-free evaporation. Soil water content was measured using the conventional oven-drying method, soil and air temperature using a thermometer, and rainfall using a rain bucket. All measurements were done for a time block of 12 h (7:00 a.m. to 7:00 p.m.) on each of the 11 days from 13 May to 20 August 2005. On each measurement day, soils in the microlysimeters were completely replaced by new soil samples to minimize errors resulting from the micro-recycling of soil water [85]. The measurements indicate that \( E_{DSL} \) decreases with the increase of DSL thickness \( (\delta) \) (Equation (2)) and that \( RE_vfr \) increases with the increase of \( \delta \) as a logarithmic function (Equation (3)). In the equations, the four positive coefficients have clear physical meanings: \( a_1 \) and \( a_3 \) reflect influences of soil water and soil thermal properties and the vertical gradient of soil water content, while \( a_2 \) and \( a_4 \) reflect influences of aerodynamic characteristics.

\[
E_{DSL} = -a_1 \cdot \delta + a_2
\]

\[
RE_{vfr} = a_3 \cdot \ln(\delta) + a_4
\]

where \( \delta = 5 \) to 30 cm; and \( a_1, a_2, a_3, \) and \( a_4 \) are four positive coefficients.
For the study site, $a_1 = 2.383 \times 10^{-4}$ to $6.503 \times 10^{-4}$ (mean $4.345 \times 10^{-4}$ and coefficient of variation $C_v = 0.333$), $a_2 = 0.107$ to $0.235$ (0.183 and $C_v = 0.221$), $a_3 = 9.743$ to $26.004$ (mean $17.146$ and $C_v = 0.285$), and $a_4 = -7.810$ to $51.598$ (mean $25.908$ and $C_v = 0.638$), with a large coefficient of determination $R^2 > 0.85$. When $\delta > 5$ cm, $E_{DSL}$ was mainly controlled by the vertical gradient of soil water content and basically independent of the air temperature and soil moisture level in the buried EZ, and $RE_{vfr}$ became as high as 92.4% (Figure 2). For a given day, the threshold of DSL thickness, $\delta_{E \rightarrow 0}$ in cm, above which soil water evaporation ceases (i.e., $RE_{vfr} = 100\%$ in Equation (3)), can be estimated as:

$$\delta_{E \rightarrow 0} = e^{\frac{100-a_3}{a_5}}$$

On the 11 measurement days, $\delta_{E \rightarrow 0}$ varied from about 38 to 370 cm, with a mean of 106 cm and $C_v = 0.90$ (Figure 3). Given that the maximum DSL thickness is usually less than 30 cm [26,42,86], the large variation of $\delta_{E \rightarrow 0}$ implies that soil water evaporation will always occur in the HSL though the evaporation rate can become very low.

![Figure 2](image.png)

**Figure 2.** Measured relative vapor flow resistance (VFR) effect ($RE_{vfr}$ in Equation (3)) versus thickness ($\delta$) of dry soil layer (DSL) at a site in the Horqin Sandy Land (after [28]).

At a sand dune site in the Mu Su Sand Land (MSSL; $108^\circ 50'54''$ to $108^\circ 58'00''$ E, $37^\circ 38'42''$ to $37^\circ 42'42''$ N), [36] measured soil water content profiles (vertical depth 40 cm using three soil samples at each of the layers 2 cm apart) on the crest, ridge, sunshine side, and shade side of the sand dune for six consecutive days from 1 to 6 May 2004. At the same time, soil and air temperatures were measured using a thermometer, while rainfall was measured using a rain bucket. On a given day, the measurements were made one to three times. The results indicate that the thicknesses of the DSLs on the crest, sunshine side, and shade side were 10, 18, and 12 cm, respectively. However, during the entire measurement period, no DSL was formed at the ridge, where the soils were continuously moistened by water from the surrounding soils by gravity because the ridge has ground elevations lower than its surrounding areas. Those authors did not examine the VFR effects of the DSLs. Using the mean values of $a_3 = 17.146$ and $a_4 = 25.908$ in Equation (3), it was determined that $RE_{vfr} > 65\%$ for the sand dune, with the highest VFR effect of 75.5% on the sunshine side.
In a field plot, which has 91% sand (i.e., soil particle diameter 2.0 to 0.05 mm) content and is located at 40 km southeast of Niamey, Niger, [84] measured bare soil water evaporation rate on a half-hourly basis using PVC microlysimeters (inside diameter 16 cm and depth 10 cm). The microlysimeters were filled with undisturbed soil cores extracted randomly within a plot area by pushing them into the soil, excavating, and then sealing them at the bases. Each microlysimeter was mounted in an outsize liner tube in an undisturbed part of the plot and seated on a load cell at the bottom of the liner tube. The output of the load cell is a voltage that is proportional to the weight of the microlysimeter, which was monitored every 5 min and then averaged every half hour to get the soil water evaporation rate with an accuracy of ±0.1 mm·h⁻¹. Net radiation, rainfall, and wet and dry bulb temperatures were continuously monitored at the field plot, and wind speed measurements were taken from an automatic weather station 600 m from the plot. The measurements were made in September 1991 for two days. The results indicate that a 3-mm-thick top DSL was formed with a $R_{e\nufr}$ ≈ 25%. Such a VFR effect falls in the range (20% to 40%) computed using Equation (3) with $a_4 = 51.598$ and any valid value for $a_3$, indicating that aerodynamic characteristics might play a dominant role in soil water evaporation because of a very thin DSL (3 mm << 5 cm).

Using a transparent acrylic resin tube (inside diameter 5 cm and depth 5 cm) that was filled with repacked soils from the Japanese Tottori Sand Dune (134°14’ E, 35°32’ N), [83] measured the soil water evaporation rate and DSL thickness for 46 consecutive hours. The tube was placed in a chamber where the climate condition was maintained to be invariant: temperature 30 °C, relative humidity 60%, irradiance induced by 30,000 LX metalhalide lamps, and 0.5 m·s⁻¹ horizontal wind provided by fans. The temperatures on the top and bottom surfaces of the column were measured using thermister thermometers at an interval of one hour. The measured $R_{e\nufr}$ tended to increase with $\delta$ by following a linear function ($R^2 = 0.937$) better than a logarithmic function ($R^2 = 0.727$) (Figure 4). For a given value of $\delta$, the measured $R_{e\nufr}$ was much larger than that predicted by Equation (3) regardless of values for $a_3$ and $a_4$. One possible reason is that Equation (3) is based on field measurements for 5 cm ≤ $\delta$ ≤ 30 cm,

**Figure 3.** Thresholds of thickness of the dry soil layer (DSL), $\delta_{E \to 0}$ in Equation (4), on the 11 measurement days at in the Horqin Sandy Land (after [28]).
which is not unlikely questionable for column-based measurements for $\delta \leq 1.5$ cm. Another possible reason is that the climate condition in the experimental tube is much more favorable for evaporation than any realistic climate condition. Such a timely invariant climate condition might minimize aerodynamic resistance, leading to a positive linear relationship between $R_{\text{E}_{\text{vfr}}}$ and $\delta$.

At one 60 m $\times$ 50 m fallow site ($140^\circ 27^\prime$ E, $35^\circ 58^\prime$ N) and another 500 m $\times$ 500 m dune site ($134^\circ 14^\prime$ E, $35^\circ 32^\prime$ N) located in Japan, [53] measured soil water evaporation and DSL thickness in July or August 1996. Both sites are dominated by sand particles (>70%) and have very low clay content (<10%). The soil moistures within two layers of 0 to 1 cm ($\theta_{0-1}$) and 0 to 5 cm ($\theta_{0-5}$) were measured using the conventional oven-drying method, while the bottom boundary of the DSL was visually distinguished by the contrast of color and $\delta$ was measured using a caliper. The measurements were made at noon every day and/or every 4 h on an intensive observation day. Factors on climate (i.e., radiation, air temperature, wind speed, humidity, and rainfall) and soil (i.e., temperature and heat flux) were measured using sensors at a time interval of 5 min and then averaged every hour for analysis. For the fallow site, $\delta$ approached 2 cm while $\theta_{0-1}$ and $\theta_{0-5}$ decreased to 1.25% and 8.75%, respectively, whereas for the dune site, $\delta$ approached 9 cm while both $\theta_{0-1}$ and $\theta_{0-5}$ decreased to <1.0%. Because those authors did not measure $E_{\text{moDSL}}$, it is impossible to directly determine $R_{\text{E}_{\text{vfr}}}$ as defined in Equation (1). Instead, $r_{\text{vfr}}^*$ was computed by those authors as a function of $\theta_{0-1}$ without taking into account $\delta$. The computed $r_{\text{vfr}}^*$ tends to decrease with the increase of $\theta_{0-1}$ and the decrease of $\delta$, indicating its generic reasonability; a hysteresis loop, however, is clearly presented, indicating limitations of conventional $r_{\text{vfr}}^*$ formulas. Nevertheless, the results reveal that in dry sandy soils, liquid water transport from deeper soil layers stopped at the bottom boundary of the DSL and vapor water transport was dominant in the DSL, and that VFR effect increased with DSL thickness.

Figure 4. Measured and predicted relative vapor flow resistance (VFR) effect ($R_{\text{E}_{\text{vfr}}}$ in Equation (3)) versus thickness ($\delta$) of the dry soil layer (DSL) for a 5-cm-long repacked column of the Japanese Tottori dune sand soil (after [83]).

In contrast to the above five studies, [26] measured soil water transport from 5 July to 18 October 2005 at a Tanzania site ($37^\circ 38^\prime$ E, $6^\circ 51^\prime$ S). The fine-textured soil is classified as sandy clay (49% sand, 4% silt, and 47% clay) and thus may have different soil-water properties from the sandy soils of the other five studies. Using Rotronic Hygroclip SC05 sensors with a diameter of 5 mm (Retronic AG,
Bassersdorf, Switzerland, http://www.rotronic.com), those authors measured soil pore air relative humidity and soil temperatures at depths until 70 cm, and then analyzed the soil-water retention function and the dynamics of soil water evaporation. The results indicate that the retention function could not be satisfactorily described by traditional van Genuchten (1980) and similar models, and that pore air relative humidity depended on soil temperature, which violates the basic assumption of the PdV model. This is because the study soil had a water potential $\psi < -1.5 \times 10^4$ cm, when the movement of adsorbed water films dominated the flow in water-filled capillaries. However, unlike the findings of the other five studies, the results do not indicate a clear DSL: the layer, within which evaporation occurred, was confined to the first 1.5 cm and did not progress much further. Those authors attributed such an inconsistency to the fact that the other five studies were based on “either wrong premises or insufficient and inconclusive experimental data” and claimed that their data are the only ones reported so far that allow a clear distinction of the transition between liquid water and water vapor transport. In my view, the inconsistency is likely due to distinctly different soil-water properties of fine-versus coarse-textured soils. Because the capillary action is much stronger in fine- rather than coarse-textured soils, for the sandy clay soils at the Tanzania site, the evaporated water from the top 1.5 cm EZ could be effectively recharged by capillary water from deeper soil layers and only little water was taken from the water storage in the EZ itself, whereas for the sandy soils at the sites in the HSL, MSSL, Niger, and Japan, a lower EZ was produced by the stopping of liquid water movement at the bottom boundary of the DSL and vapor water transport was dominant in the DSL. As revealed by the measurements, when $\psi < -1.5 \times 10^4$ cm, for the Tanzanian sandy clay soils, the unsaturated water conductivity is five orders of magnitude higher than the responding representative literature values, while for the sandy soils, the magnitudes of unsaturated water conductivity and vapor conductivity below the bottom boundary of the DSL are much lower and those above the DSL are much higher than the responding representative literature values.

The preliminary field measurements support the DSL and EZ dynamics illustrated in Figure 1 for sandy soils but not for sandy clay soils in very dry environments. This was hypothesized by [63]. For sandy (coarse-textured) soils, the VFR effect on the soil water evaporation rate increases with the thickness ($\delta$) of the DSL as a linear function when $\delta < 5$ cm but as a logarithmic function when $\delta \geq 5$ cm. The VFR effect depends on both aerodynamic characteristics (e.g., wind speed) and soil water/thermal properties (e.g., vertical gradients of water content and temperature), with the former being more dominant than the latter when $\delta < 5$ cm but the latter becoming more dominant than the former when $\delta \geq 5$ cm. In contrast, for sandy clay (fine-textured) soils, because of a strong capillary action and a not-much-lowered unsaturated water conductivity of the top layer at very large water potential (i.e., $\psi < -1.5 \times 10^4$ cm), a DSL will not be efficiently formed as a result of water recharge from deeper soil layers. Although formed under long-lasting dry climate conditions, such a DSL may be very thin and have a very small VFR effect on soil water evaporation. To date, no measurement has been reported regarding the dynamics and VFR effect of multiple DSLs resulting from repeated drying-wetting cycles.

3. Modeled VFR Effect

As with field measurement studies, although a number of modeling studies of soil water evaporation have been reported in existing literature, few of them focused on Phase III evaporation in very
dry environments. Among the few studies, this overview selected four representatives (Table 1), including [22], [63], [67] and [68], to analyze advances and challenges in modeling Phase III soil water evaporation. Again, these representatives were overviewed in chronological order to highlight the continuous improvements of modeling techniques.

As stated above, primary modeling studies are based on the PdV model expressed as [21]:

\[
\begin{align*}
\frac{\partial (\theta_w + \theta_v)}{\partial t} &= -\frac{\partial (q_w + q_v)}{\partial z} = \frac{\partial}{\partial z} \left[ K_{Lv}(\psi + 1) + K_{LT} \frac{\partial T}{\partial z} + \frac{K_{v\psi}}{\partial z} \frac{\partial q_v}{\partial z} + \frac{K_{vT}}{\partial z} \frac{\partial T}{\partial z} \right] \\
\frac{\partial S_h}{\partial t} &= -\frac{\partial q_{hv}}{\partial z} = \frac{\partial}{\partial z} \left[ \lambda \frac{\partial T}{\partial z} - C_w \cdot (T - T_r) \cdot q_w - C_v \cdot (T - T_r) \cdot q_v - L \cdot q_v \right] \\
S_h &= (C_v \cdot \theta_v + C_w \cdot \theta_w + C_s \cdot \theta_s) \cdot (T - T_r) + L \cdot \theta_v
\end{align*}
\]  

where \(z\) is the depth from the soil surface and is negative below the surface (m); \(t\) is the time (s); \(\theta_w\) is the volumetric liquid water content (\(m^3\cdot m^{-3}\)); \(\theta_v\) is the volumetric water vapor content (expressed as an equivalent volumetric water content = \(\theta_w \cdot \rho_v / \rho_w \cdot m^3\cdot m^{-3}\)); \(q_w\) and \(q_v\) are the fluxes (positive upward) of liquid water and water vapor (expressed as equivalent liquid water) per unit horizontal-area soil (\(m\cdot s^{-1}\)), respectively; \(\theta_{air}\) is the volumetric air content (\(m^3\cdot m^{-3}\)); \(\rho_v\) and \(\rho_w\) are the densities of water vapor and liquid water (kg\(\cdot m^{-3}\)), respectively; \(\psi\) is the water potential (m); \(K_{Lv}\) (\(m\cdot s^{-1}\)) and \(K_{LT}\) (\(m^2\cdot \circ C\cdot s^{-1}\)) are the isothermal and thermal liquid water hydraulic conductivities, respectively; \(K_{v\psi}\) (\(m\cdot s^{-1}\)) and \(K_{vT}\) (\(m^2\cdot \circ C\cdot s^{-1}\)) are the isothermal and thermal vapor hydraulic conductivities, respectively. \(S_h\) is the soil heat storage (\(J\cdot m^{-3}\)); \(q_h\) is the total soil heat flux (\(J\cdot m^{-2}\cdot s^{-1}\)); \(\lambda\) is the soil thermal conductivity (W\(\cdot m^{-1}\cdot \circ C^{-1}\)); \(T_r\) is an arbitrary reference temperature below which \(q_w\) and \(q_v\) contribute no heat flux (\(\circ C\)); \(C_w\) (=4.18 MJ\(\cdot m^{-3}\cdot \circ C^{-1}\)) and \(C_v\) (=1.8 MJ\(\cdot m^{-3}\cdot \circ C^{-1}\)) are the volumetric heat capacities of liquid water and water vapor, respectively; \(C_s\) (=1.92·MJ m\(^{-3}\cdot \circ C^{-1}\)) is the volumetric heat capacity of soil particles; \(\theta_s\) is the volumetric solid content (\(m^3\cdot m^{-3}\)); and \(L\) is the latent heat of vaporization of water (\(J\cdot m^{-3}\)).

The evaporation (positive) or condensation (negative) rate between the soil surface and atmosphere, \(E_{sf}'\) (\(m\cdot s^{-1}\)), can be computed as:

\[
E_{sf}' = q_w(0, t) + q_v(0, t)
\]  

The depth-dependent evaporation/condensation rate, \(e\) (s\(^{-1}\)), can be determined by solving the mass conservation equation expressed as [87]:

\[
\frac{\partial \theta_v}{\partial t} = -\frac{\partial q_v}{\partial z} + e
\]  

For a discretized grid with thickness of \(\Delta z\), the average evaporation/condensation rate from this grid within a time interval of \(\Delta t\), \(E_j'\) (\(m\cdot s^{-1}\)), can be approximated as:

\[
E_j' = (\theta_{v,j} - \theta_{v,j-1}) \cdot \frac{\Delta z}{\Delta t} + (q_{v,j+1/2} - q_{v,j-1/2})
\]  

where \(\theta_{v,j}\) and \(\theta_{v,j-1}\) are the volumetric water vapor contents (expressed as equivalent water contents, \(m^3\cdot m^{-3}\)) within the grid at current and previous time steps, respectively; and \(q_{v,j+1/2}\) and \(q_{v,j-1/2}\) are the
Δt-averaged fluxes of water vapor (expressed as equivalent liquid water fluxes, m·s\(^{-1}\)) at the lower and upper faces of the grid.

Yamanaka et al. [63] set up finite-element PdV models for three 60-cm-long columns of fine sand, loam, and clay soils, and solved the models by the Crank-Nicholson implicit method [88] with Gauss elimination. The elements have a thickness from 0.5 mm near the surface to 10 cm at lower depths. Although sensors were used to continuously measure soil moisture, soil temperature, and pore-air humidity at various depths in the field from which the fine sand soil column was taken, the models used hypothetical evaporative flux and net radiation (either constant or diurnal) as the upper boundary condition. The lower boundary condition was specified as a constant temperature and no water flux. The models neglected \(k_{\ell \tau} \frac{\partial T}{\partial z}\) and \(C_v \cdot (T - T_c) \cdot q_v\) in Equation (5) and did not consider the enhancement factor for \(K_{\nu T}\) [89,90]. The traditional van Genuchten [82] soil-water retention function was used and the unsaturated liquid water hydraulic conductivity, \(k_{\ell \nu}\), was derived by substituting the retention function into the Mualem model [91], which might be invalid in cases of low water content, as evidenced by [26]. The results show that evaporation actually took place within a very thin (<2 mm) EZ located at the bottom boundary of the 2.0-cm-thick DSL, and that condensation and evaporation occurred in the DSL during the nighttime and daytime, respectively. However, the VFR effects were not reported and could not be estimated because the responding evaporation rate without the DSL was not predicted.

Sakai et al. [67] set up a PdV model for six identical dune sand (90% of soil particles > 0.1 mm and 3% of soil particles < 0.02 mm) columns (height 10 cm and diameter 10 cm) using the HYDRUS-1D code [92], and used the model to reproduce the measured condensation dynamics. In the laboratory experiment, the tops of the columns were exposed to hot (37 °C) and moist air, while the closed bottoms of the columns were maintained at 20 °C by circulating constant-temperature water along the base of the columns using a water pump. The model used finite elements of 1 mm thickness and uniform initial soil moisture of 0.45% for all elements. The upper boundary condition was specified as the measured weight change of the entire column, while the lower boundary condition was specified as being no-flux. The soil-water retention function of Fayer and Simmons [81], parameterized using measured (\(\psi, \theta\)) data until \(\psi = -1.0 \times 10^4\) cm, was used in the model. The unsaturated liquid water hydraulic conductivity, \(k_{\ell \nu}\), was derived by substituting the parameterized retention function into the Mualem model [91]. The results indicate that the model simulation performance was sensitive to \(k_{\ell \nu}\), which is shaped by the pore-connectivity coefficient, and \(K_{\nu T}\), which is shaped by the enhancement factor. This implies that a soil-water retention function for low water potentials (e.g., \(\psi < -1.5 \times 10^4\) cm) is crucial for modeling VCM dynamics within very dry sandy soils, while it is still unknown whether the Fayer-Simmons function is valid when \(\psi < -1.5 \times 10^4\) cm. Nevertheless, the model fairly reproduced the observed VCM dynamics that: (1) water vapor entered the soil column from the hot top surface and condensed at the cold bottom; (2) liquid water moved upward and evaporated at the moisture front in the middle of the column; (3) liquid water and water vapor then circulated between the bottom and the moisture front; and (4) increases in liquid water flow (and the evaporation rate) were compensated by increases in vapor water flow (and the condensation rate).

Novak et al. [22] set up a finite-element PdV model and solved the model using MATLAB\(^\text{®}\) scripts for a Canadian bare field with dominant soils of silt loam (121°46' W, 49°15' N). The one-dimensional soil domain extends from \(z = 0\) to 4 m, with an element thickness increasing logarithmically from
Water vapor storage (i.e., assumed $\theta_v = 0$ in Equation (5)), which might be problematic for modeling vapor diffusion dynamics within the DSL. The model neglected water vapor storage, which might be problematic for modeling vapor diffusion dynamics within the DSL. The traditional Campbell (1974) soil-water retention function and equations of unsaturated hydraulic conductivities for liquid water and water vapor were used. For a 10-day simulation period, the upper boundary condition was specified as the observed time series of water flux from the soil surface into the atmosphere and radiation, while the lower boundary condition was specified as zero gradients of water potential and temperature. The model was calibrated by adjusting saturated liquid water hydraulic conductivity to closely match the observed time series of soil temperature and soil moisture at various depths. The relatively large simulation errors for later simulation days were attributed to the fact that the model used vertically homogeneous soil hydraulic and thermal properties and/or assumed $\theta_v = 0$. The results clearly indicate VCM diurnal variations and steadily decreasing peak evaporation rates (16 to 5 mm·d$^{-1}$) with the lapse of days. For a given simulation day, the evaporation rates varied from zero to a peak value. On some days, evaporation solely occurred at the soil surface because the condensed water in the early morning and/or the previous night rewetted the surface soils, while on the last two simulation days, a top DSL ($\delta = 0.2$ cm) always existed and evaporation solely occurred at the bottom boundary of the DSL. However, the VFR effect was not reported by that author, and it could not be estimated because the responding evaporation rates without the DSL were not presented either.

Sakai et al. [67] set up PdV models for three 15-cm-long sand, silt, and silty clay soil columns and another 20-cm-long silt soil column using the HYDRUS-1D code with a grid spacing of less than 1.0 mm. A hypothetical constant or diurnal climate was used as the upper boundary condition, while zero water flux and a constant temperature of 25 °C were used as the lower boundary condition. The models used traditional van Genuchten [82] and Fayer and Simmons [81] soil-water retention functions and the unsaturated hydraulic conductivities for liquid water and water vapor were estimated with the Mualem [91] pore-size distribution model for the retention functions, and $\lambda$ was estimated by an empirical equation presented by Chung and Horton [93]. The models reveal that the EZ was at the soil surface in the beginning of the simulation but moved down to deeper depths with drying, and that regardless of the climates, the EZ of the silty clay soil column remained at the soil surface much longer in time than the EZe coral coarse-textured soil columns. In terms of the simulation results of using the constant climate, the top DSLs for the sand, silt, and silty clay soil columns reached maximum thicknesses of 0.3, 0.2, and 0.15 cm, respectively, with the responding VFR effects of 50%, 47%, and 7%, respectively. This is consistent with the finding of [26] that fine-textured soils tend to have a much thinner DSL with a smaller VFR effect on soil water evaporation. Nevertheless, as with the measurement study conducted by [83] (Figure 4), the hypothetical constant climate might be favorable for soil water evaporation, leading to the large VFR effects for not-very-large $\delta$ values. Also, because the traditional soil-water retention functions and the empirical equation for $\lambda$ may become invalid when a DSL appears [26], the simulated soil water evaporation rates and VFR effects are likely uncertain in accuracy.

The primary modeling studies were used to reproduce VCM dynamics observed in laboratory soil columns, but none of them was specifically designed to quantify the VFR effect of the DSL on soil water evaporation. For this reason and because the models were driven either by artificial or hypothetical atmospheric conditions, it is unknown at what degree the modeling results can reflect situations of the real world. In addition, because the models used traditional soil-water retention functions that are
probably invalid for very dry soils, as evidenced by some observations [26], and had a short simulation period covering either the drying or wetting process but not both, the modeling results are mainly for Phase I and II evaporations or, at most, the early stage of Phase III evaporation, as indicated by the fact that the modeled DSLs of the drying process have a thickness of \( \delta \leq 2.0 \) cm and soil moisture of \( \theta > 2\% \). Further, the models used empirical equations (e.g., Chung and Horton [93]) for \( \lambda \), which might cause large calculation errors of heat balance at the moisture front. As a result, the predicted dynamics of DSLs and EZs can be irreconcilable. Nevertheless, as with the measurement studies, the modeling studies also affirm the conceptual soil water evaporation dynamics illustrated in Figure 1.

4. Further Research Needs

Although prominent efforts have been made to understand soil water evaporation, the physics of dry soil and its function in evaporation is a challenging topic with significant remaining issues because of the lack of continuous observations with sufficiently high spatiotemporal resolutions to capture soil water VCM dynamics within very dry soils and to establish hydraulic functions that are applicable for \( \psi < -1.5 \times 10^4 \) cm. In order to address such issues, further research will be needed in the following four aspects.

Firstly, field measurements need to be conducted to generate long-term high-resolution observations of soil water content, water potential, soil temperature, and relative humidity in pore air of in situ bare sandy soils, where Phase III evaporation is usually dominant. In this regard, typical experimental sites should be instrumented using sensors to simultaneously observe data on climate as well as soil water and soil thermal properties. Beside existing sensors, a high-resolution heat pulse sensor (HRHPS) with a needle spacing of \( \leq 1 \) mm is currently not available, and it needs to be designed and fabricated to minimize errors resulting from “undetectable zone” [68]. Such a HRHPS will make it possible to: (1) continuously observe dynamics of DSLs and EZs resulting from drying-wetting cycles; and (2) capture sharp gradients of soil water and soil thermal properties within DSLs and at DSL-EZ interfaces. The 11-needle (stainless steel) heat pulse sensor proposed by [70] may have some potential, but its current design is not unproblematic and has not been tested for dry sandy soils.

Secondly, hydraulic functions for very dry sandy soils (\( \psi < -1.5 \times 10^4 \) cm) need to be developed. As revealed by previous studies (e.g., [26]), the traditional soil water retention functions, developed by Brooks and Corey [94], Campbell [95], van Genuchten [82], Fayer and Simmon [81], and Lambot et al. [96], are applicable for unsaturated soils with a water potential of \( \psi > -1.5 \times 10^4 \) cm. However, it is unknown and questionable whether those functions are applicable for very dry soils when Phase III evaporation is dominant. The long-term high-resolution observations will provide an opportunity to develop soil water retention functions that are applicable for different ranges of soil moisture. These retention functions in turn can be used in the Burdine [97] and/or Mualem [91] models to develop liquid water and water vapor hydraulic conductivity functions for very dry sandy soils.

Thirdly, an approach needs to be established to quantify dynamics of DSLs and EZs resulting from wetting-drying cycles as well as the VFR effect of DSLs. As illustrated in Figure 1, at a given time, a soil profile can have multiple DSLs and EZs with various thicknesses and vertical positions. During continuous drying, the top DSL will become thicker and its bottom dry front will be moved down, whereas during continuous wetting, an EZ may be formed at the soil surface and its bottom wet front
will be moved down. If a top DSL already exists when wetting starts, the subsequent drying-wetting
cycles can result in a striped distribution of DSLs and EZs, with an EZ beneath a DSL and vice versa. Moreover, within a DSL, isolated/patched evaporation pores can be formed from condensation of vapor [23] that diffuses into the DSL from its adjacent DSLs and/or EZs. To date, little is known about these dynamics, their influential factors, and their influences on soil water evaporation rate [27]. Our intuitive knowledge or insight is that the top DSL plays a larger role in retarding soil water loss to the ambient atmosphere than the buried DSLs that are either beneath an EZ or have patched evaporation pores. However, because these buried DSLs have a reduced heat storage capacity [98] and a lowered thermal conductivity [99–101], they can still exert resistances of varying degrees to vapor diffusion. Herein, such an approach can be established by analyzing the long-term high-resolution observations and simulations of VCM dynamics within in situ dry sandy soils.

Finally, a set of empirical coefficients, which can be used to correct \( r_s^* \) to consider the lumped effect of DSLs and EZLs on soil water evaporation, need to be created. Given the simplicity and popularity of \( r_s^* \) in using conventional evaporation models, such as Penman-Monteith [29,30,102] and Shuttleworth-Wallace [31], the creation of such empirical coefficients is expected to noticeably increase the accuracy of those evaporation models in predicting soil water evaporation in arid environments. The existing formulas define \( r_s^* \) as a function of latent heat flux from top soil layer (LEs), but such a function can become invalid for Phase III because within the top DSL almost no vaporization occurs and LEs may be negligible. However, practical applications (e.g., [103,104]) of those \( r_s^* \) formulas assumed that soil water vaporization solely occurs within the top soil layer, and they computed LEs as a function of total soil evaporation, leading to the overestimation of LEs due to the underestimation of \( r_s^* \). A correction to \( r_s^* \) by the newly developed empirical coefficients will make it handy to take into account DSL VFR effects and EZ enhancement effects with no requirement to know details of DSL and EZ dynamics resulting from repeated wetting-drying cycles, maintaining the simplicity of the models. With this regard, [38] proposed (conceptually without any observational basis) a linear functional relation (Equation (9)) between \( r_s^* \) and \( \delta \) by assuming a maximum DSL thickness of \( \delta_{\text{max}} < 0.3 \text{ cm} \), which is consistent with the observations of [83]. It was found that the \( \delta \)-based \( r_s^* \) noticeably improved the performance of the CLM in simulating evaporation in accordance with the FLUXNET-MTE (Model Tree Ensemble) data [105] and total water storage in accordance with the GRACE (Gravity Recovery and Climate Experiment) observations [106]. Because this relation is currently unique and may be a good start for developing generic correction coefficients, it is reproduced herein as:

\[
\tau \delta = \frac{D_v \cdot \tau}{v}
\]  

(9)

where \( r_s^* \) is the soil surface resistance to evaporation (s·m\(^{-1}\)); \( \delta \) is the thickness of the DSL (m); \( D_v \) is the molecular diffusivity of water vapor in air (m\(^2\)·s\(^{-1}\)); and \( \tau \) is the tortuosity factor of vapor flow paths through the soil matrix (–).

\( \delta \) is estimated as:
\[
\delta = \begin{cases} 
\delta_{\text{max}} \cdot \frac{\theta_{\text{DSL}} - \theta_0}{\theta_{\text{DSL}} - \theta_{\text{air}}} & \theta_0 < \theta_{\text{DSL}} \\
0 & \theta_0 \geq \theta_{\text{DSL}}
\end{cases}
\] 

(10)

where \(\delta_{\text{max}}\) is the theoretical maximum DSL thickness (m); \(\theta_{\text{DSL}}\) is the soil moisture below which the soil is defined as DSL; \(\theta_0\) is the surface soil moisture; and \(\theta_{\text{air}}\) is the air-dry soil moisture.

\(\theta_{\text{air}}\) is estimated as:

\[
\theta_{\text{air}} = \theta_{\text{sat}} \cdot \left(\frac{\psi_{\text{sat}}}{\psi_{\text{air}}}\right)^\frac{1}{b}
\]

(11)

where \(\theta_{\text{sat}}\) is the saturated soil moisture; \(\psi_{\text{sat}}\) is the water potential at \(\theta_{\text{sat}}\); \(\psi_{\text{air}}\) (=10\(6\) cm) is the water potential at \(\theta_{\text{air}}\); and \(b\) is the pore size distribution index [107].

\(D_v\) is computed as:

\[
D_v = 2.12 \left(\frac{T}{273.15}\right)^2
\]

(12)

where \(T\) is the soil surface temperature (K).

\(\tau\) is computed as:

\[
\tau = (\theta_{\text{sat}} - \theta_{\text{air}})^\frac{2b+3}{b} \cdot (\theta_{\text{sat}})^\frac{3}{b}
\]

(13)

5. Conclusions

This overview summarized the to-date advances in quantifying the VFR effect of the DSL on the soil water evaporation rate in very dry environments. Both measurement and modeling studies affirm the conceptual dynamics of DSLs and EZs resulting from either the drying or wetting process. On the one hand, because of the advancement of sensor technologies, measurement studies have shifted the focus from laboratory experiments to field observations. Although most of the studies traced temporal variations of the vertical soil moisture profile (i.e., VCM dynamics), few of them have been specifically designed to measure the VFR effect. The preliminary observations indicate that the VFR effect tends to linearly increase with DSL thickness (\(\delta\)) when \(\delta < 5\) cm and is likely to increase as a logarithmic function of \(\delta\) when \(\delta \geq 5\) cm. For coarse-textured (e.g., sandy) soils covered by a DSL with \(\delta \geq 5\) cm, the VFR effect can become so large that the soil water evaporation rate will be almost independent of climatic conditions as well as the soil moisture level of the EZ positioned at the bottom boundary of the DSL. In contrast, for fine-textured (e.g., sandy clay) soils, a thick DSL usually cannot be formed while a very thin (<1.5 cm) DSL may exist. On the other hand, extensive modeling studies have been conducted in terms of the PdV model. For unknown reasons, primary modeling studies were designed to reproduce observed VCM dynamics in laboratory columns rather than in \textit{in situ} soils, and thus it is unknown at what degree the modeling results can reflect situations of the real world. Also, the use of traditional hydraulic functions by the modeling studies is unlikely to be unproblematic for very dry soils.

Based on this overview, further research will need to: (1) generate long-term high-resolution field observations of Phase III evaporation during repeated wetting-drying cycles; (2) develop hydraulic functions for very dry sandy soils; (3) establish an approach to quantify dynamics of DSLs and EZs...
resulting from repeated wetting-drying cycles as well as the VFR effect of DSLs; and (4) enable empirical equations of soil surface resistance ($r'$) to take into account the VFR effect of the DSL in the simplest way, as demonstrated by [38], to improve the accuracy of conventional models (e.g., Penman-Monteith) in predicting soil water evaporation in very dry environments.

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**Conflicts of Interest**

The author declares no conflict of interest.

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